10-6

## **Practice**

Form K

Trigonometric Ratios

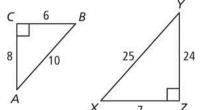
For  $\triangle ABC$  and  $\triangle XYZ$ , find the value of each expression.

1.  $\sin A$ 

 $2.\cos A$ 

3.  $\cos B$ 

**4.** tan *B* 



**5.** tan *X* 

6.  $\cos X$ 

**7.** tan *Y* 

**8.** sin *Y* 

Find the value of each expression. Round to the nearest ten-thousandth.

**9.** sin 25°

**10.** tan 35°

**11.** cos 30°

**12.** tan 15°

**13.** sin 60°

**14.** cos 45°

**15.** sin 85°

**16.**  $\cos 5^{\circ}$ 

**17.**  $\tan 70^{\circ}$ 

For each right triangle, find the missing side length to the nearest tenth.

- **18.** The hypotenuse is 9 cm long. How long is the side adjacent to a  $30^{\circ}$  angle?
- **19.** A 60° angle has an opposite leg 12 ft long. How long is the adjacent leg?
- **20.** A 36° angle has an adjacent leg 22 yd long. How long is the hypotenuse?
- **21.** The hypotenuse is 45 mm long. How long is the side adjacent to a  $45^{\circ}$  angle?

Name	Class	Date

## Practice (continued)

Form K

Trigonometric Ratios

For each right triangle described, find all three angles to the nearest tenth.

- **22.** The hypotenuse is 6 in. long. The adjacent side is 2 in. long.
- 23. The opposite side is 25 mm long. The adjacent side is 20 mm long.
- **24.** The hypotenuse is 12 inches long. The opposite side is 5 inches long.
- **25.** The adjacent side is 2 ft long. The opposite side is 7 ft long.
- **26.** The hypotenuse is 75 cm long. The opposite side is 40 cm long.
- **27.** The opposite side is 36 ft long. The adjacent side is 32 ft long.
- **28.** Jack is standing 25 feet away from the base of a flagpole. There is a 38° angle of elevation as he looks at the top of the flagpole. If Jack is 6 feet tall, how tall is the flagpole to the nearest tenth of a foot?
- **29. Reasoning** If the two acute angles of a right triangle are labeled *A* and *B*, what is the relationship between  $\sin A$  and  $\cos B$  and between  $\sin B$  and  $\cos A$ ? Use a  $30^{\circ}$ - $60^{\circ}$ - $90^{\circ}$  triangle to justify your conjecture.